## Access to H.E. National Programme Unit

$\left.\begin{array}{l|l|l|}\text { Unit Title: } & \text { Integration } & \\ \text { Graded } & \text { GA33MTH06 } & \begin{array}{l}\text { Ungraded } \\ \text { Unit Code: }\end{array}\end{array}\right)$ UA33MTH06

Pathway(s): | Computing |
| :--- |
| Science and Engineering |
| Construction and the Built Environment |

| Module(s): | Maths for Computing <br> Mathematics |  |
| :--- | :--- | :--- |
| Level: | 3 | Credit Value: |
|  | 3 |  |
| Valid from: $:$ | $1^{\text {st }}$ August 2019 | Valid to: |
|  |  | $31^{\text {st }}$ July 2024 |

The following QAA grade descriptors must be applied if you are delivering the graded version of this unit:

| 1 | Understanding of the subject |
| :--- | :--- |
| 3 | Application of skills |
| 7 | Quality |

## LEARNING OUTCOMES

## ASSESSMENT CRITERIA

## The learner will:

1. Understand how the area under a straightforward curve may be approximated.

## The learner can:

1.1 Use the trapezium rule to find an approximation for the area under a curve

| 2. Understand the principles and uses of |
| :--- | :--- | :--- |
| integration |\(\left|\begin{array}{ll}2.1 \& \begin{array}{l}Express the relationship between <br>

differentiation and integration.\end{array} <br>
\hline 2.2 \quad $$
\begin{array}{l}\text { Integrate expressions of the form } a x^{n} \text { for } \\
\text { any values of } a \text { and } n\end{array}
$$ <br>
Use definite integrals to calculate areas <br>
under a curve for straightforward <br>
polynomial expressions (for regions wholly <br>
above or wholly below the a-axis)\end{array}\right|\)

